Post-wildfire erosion response in two geologic terrains in the western USA

John A. Moody a,⁎, Deborah A. Martin a, Susan H. Cannon b

a U. S. Geological Survey, 3215 Marine Street, Suite E-127, Boulder, Colorado 80303, United States
b U. S. Geological Survey, Golden, Colorado, United States

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Abstract

Volumes of eroded sediment after wildfires vary substantially throughout different geologic terrains across the western United States. These volumes are difficult to compare because they represent the response to rainstorms and runoff with different characteristics. However, by measuring the erosion response as the erodibility efficiency of water to detach and transport sediment on hillslopes and in channels, the erosion response from different geologic terrains can be compared. Specifically, the erodibility efficiency is the percentage of the total available stream power expended to detach, remobilize, or transport a mass of sediment. Erodibility efficiencies were calculated for the (i) initial detachment, and for the (ii) remobilization and transport of sediment on the hillslopes and in the channels after wildfire in two different geological terrains.

The initial detachment efficiencies for the main channel and tributary channel in the granitic terrain were 10±9% and 5±4% and were similar to those for the volcanic terrain, which were 5±5% and 1±1%. No initial detachment efficiency could be measured for the hillslopes in the granitic terrain because hillslope measurements were started after the first major rainstorm. The initial detachment efficiency in the volcanic terrain was 1.3±0.41%. The average remobilization and transport efficiencies associated with flash floods in the channels also were similar in the granitic (0.18±0.57%) and volcanic (0.11±0.41%) terrains. On the hillslope the remobilization and transport efficiency was greater in the volcanic (2.4%) than in the granitic terrain (0.65%). However, this may reflect the reduced sediment availability after the first major rainstorm (30-min maximum rainfall intensity ∼90 mm h−1) in the granitic terrain, while easily erodible fine colluvium remained on the hillslope after the first rainstorm (30-min maximum rainfall intensity =7.2 mm h−1) in the volcanic terrain. The erosion response in channels and on hillslopes of the granitic and volcanic terrains was similar when compared using erodibility efficiencies.

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Keywords: Wildfire; Erosion and deposition; Channels; Hillslope; Erodibility efficiency

1. Introduction

The erosion response after wildfire includes detachment, transport, and deposition of sediment particles by water and gravity energy. Many post-wildfire erosion studies have focused on mountainous watersheds in a single geologic terrain. A wide variety of methods have been used to quantify erosion after wildfires under natural conditions (i.e., not using simulated rainfall) at different temporal and spatial scales. These methods can be grouped as (i) plot method (Daniel et al., 1943; DeBano and Conrad, 1976; Blong et al., 1982; Booker

⁎ Corresponding author.
E-mail addresses: jamoody@usgs.gov (J.A. Moody), damartin@usgs.gov (D.A. Martin), cannon@usgs.gov (S.H. Cannon).

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et al., 1995; Scott et al., 1998; Moody and Martin, 2001a; Cannon et al., 2001a); (ii) silt fences (Robichaud et al., 2001; Benavides-Solorio and MacDonald, 2005); (iii) reservoir trapping method (Anderson, 1949; Rowe et al., 1954; Lavine et al., 2006); (iv) suspended-sediment method (Brown, 1972; Scott et al., 1998); and (v) the erosion-pin method (Doehring, 1968; Megahan and Moliter, 1975; White and Wells, 1984; Booker, 1998). Besides the different methodologies, the different spatial and temporal scales of these methods, and the different characteristics and magnitudes of the rainfall, hillslope runoff, and subsequent floods make comparisons of the erosion response (as mass or volume of sediment) between different terrains nearly impossible. However, land managers need to know how to make such comparisons so they can apply the erosion results from previously burned watersheds to newly burned watersheds.

The erodibility efficiency can be used to compare the erosion response for different hydrologic and geologic conditions. The efficiency is a measure of the percentage of water energy expended to do work in the form of detachment, remobilization, and transport of sediment. It is often calculated as the sediment mass transport rate normalized by the stream power and has been used in perennial and ephemeral streams (Yang, 1972; Baginold, 1973; Wilson, 1999). This normalization will lead to meaningful efficiencies that are comparable, if the relation between sediment mass transport and stream power is linear. Linear relations appear to be associated with meaningful efficiencies that are comparable, if the relation between sediment mass transport and stream power is linear. Linear relations appear to be associated with different characteristics and magnitudes of the rainfall, hillslope runoff, and subsequent floods make comparisons of the erosion response (as mass or volume of sediment) between different terrains nearly impossible. However, land managers need to know how to make such comparisons so they can apply the erosion results from previously burned watersheds to newly burned watersheds.

2. Field setting

The two watersheds were similar in drainage area (Table 1). The granitic watershed (Spring Creek) was burned in 1996 by the Buffalo Creek Fire in the Front Range Mountains near Denver, CO, USA (Fig. 1) and is on the ~70-million-year old Pikes Peak granitic batholith (Moore, 1992). The volcanic watershed (Rendija Canyon) was burned in 2000 by the Cerro Grande Fire near Los Alamos, NM, USA (Fig. 1) and is on the flanks of the Jemez volcanic caldera, which erupted ~1 million years BP (Griggs and Hem, 1964; Kempter and Kelley, 2002).

Properties of the soils on the hillslopes and the sediment in the channel were different in these two geologic terrains. In the granitic terrain, the soils are classified as part of the Sphinx–Legault-Rock outcrop complex derived from grūs produced by weathering of the Pikes Peak granite. It has coarse texture and the average of samples from north- and south-facing hillslopes had a unimodal size distribution (Table 1, Fig. 2) with 10% silt and clay, 33% sand, and 57% gravel. In the volcanic terrain, the soils are derived from rhyodacite volcanic tuffs (Tschicoma Formation and Bandelier Tuffs) consisting of thick lava flows of latite and quartz latite (Griggs and Hem, 1964). This also has weathered into a type of grūs (D.E. Broxton, Los Alamos National Laboratory, personal communication, 2001) having a trimodal size distribution (Table 1, Fig. 2) with 24% silt and clay, 60% sand, and 16% gravel. The larger gravel and cobble-size volcanic sediments are more porous than the granitic sediments, had a lower dry density (Table 1), and absorbed an amount of water approximately equal to their dry weight.

Different tree densities in the two watersheds were observed to influence erosion patterns on hillslopes. Sparse tree density in the granitic terrain (Table 1) created long unobstructed hillslope segments with rills
The erosion response was measured as the erodibility efficiency. We calculated two efficiencies (i) the initial detachment efficiency and (ii) the remobilization and transport efficiency. They were calculated separately for the channels and for the hillslopes. We calculated the peak stream power, which is a measure of the peak energy per unit area per unit time and is a function of the peak water discharge, and measured the mass of eroded and deposited sediment.
3.2. Peak water discharge

Peak water discharge in channels was determined by indirect field methods for calculations of the initial detachment efficiencies and by an empirical relation involving the rainfall intensity for calculation of the remobilization and transport efficiencies. The different methods were used because field measurements were obtained after the first flood associated with the initial detachment of sediment but field measurements could

Fig. 1. Location of Spring Creek and Rendija Canyon watersheds and the fire boundaries. Some of the cross sections shown in Upper Rendija Canyon were used to calibrate the photogrammetry method. The cross sections below the stream gage in Spring Creek are not shown because they are too numerous (150 sections) to be shown at this scale.
not logistically be made after each of the succeeding floods responsible for the remobilized and transported sediment.

Peak discharges for the initial detachment efficiency were calculated by using the indirect slope–area method (Rantz et al., 1982; Moody and Martin, 2001a) at multiple locations, the high water marks, and by assuming critical flow. For critical flow, the peak velocity, \( v_{\text{peak}} \), is a function \( v_{\text{peak}} = (gh_{\text{peak}})^{1/2} \) of only the peak water depth, \( h_{\text{peak}} \), and the acceleration of gravity, \( g \). Thus, the peak discharge assuming critical flow, \( Q_{\text{peak}}^c \), is given by

\[
Q_{\text{peak}}^c = v_{\text{peak}}a. \tag{1}
\]

Critical flow has been shown by Jarrett (1987) and Grant (1997) to model flow conditions characterized by high-gradient streams with abundant sediment in mobile beds of sand and gravel. They also have argued for critical flow in mountainous streams characterized by high relative roughness where particle diameters of bed material are on the order of the flow depth. The roughness extracts energy from the mean flow in the form of hydraulic jumps creating a hydraulic “brake” on flow accelerations especially in step-pool systems. Critical flow was used successful to model the discharge in Spring Creek in the burned granitic terrain (Moody and Martin, 2001a) and was assumed in the channels in the volcanic terrain, which had after the first flood, numerous burned tree stems, abundant sediment forming mobile beds, and large relative roughness in the form of debris and boulders that create a step-pool system.

The peak discharges, used to calculate a time series of remobilization and transport efficiencies at a cross section, were based on empirical relations between peak discharge, \( Q_{\text{peak}}^c \), and the maximum 30-min rainfall intensity, \( I_{30} \). This relation had the form:

\[
Q_{\text{peak}}^c = \beta (I_{30} - I_{30}^{\text{thres}}) A \tag{2}
\]

where \( \beta \) is a constant, \( I_{30}^{\text{thres}} \) is the rainfall intensity threshold for the initiation of runoff (Moody and Martin, 2001b; Moody et al., in press), and \( A \) is the drainage area upstream from the cross section. This drainage area was greater in the granitic terrain (26.80 km²) than in the volcanic terrain (1.26 km²) so that the constant \( \beta A \) for the granitic terrain was greater than the constant for volcanic terrain (Table 2). Only one of the total 20 measurements in the granitic terrain was based on the empirical equation for 1999 with the lowest \( R^2 \)-value. The rainfall intensity thresholds appear to increase with time (Table 2), but the number of samples per year was insufficient to support this statistically. However, separate equations were used for each time period because \( b \) was substantially different for some time periods.

### 3.3. Rainfall intensity

Tipping-bucket recording rain gages were used to measure rainfall intensity within each burned watershed. These rain gages had a 0.152-m diameter opening (Onset, model RG-1 and RG-2), were calibrated in the laboratory, and recorded the time of each tip equal to
0.254 mm of rain. These data were used to evaluate the hillslope erosion trap data, to determine the duration of time that the rainfall intensity was greater than the threshold necessary to initiate overland flow, and to calculate peak discharges using Eq. (2).

3.4. Measurements of the mass of eroded and deposited sediment

3.4.1. Channels

Initially, during the first flood, sediment was eroded from low order channels and deposited in higher order channels, but later floods eroded and deposited sediment in all channels with various magnitudes. We assumed (based on field observations after the first flood) that the volume of sediment eroded from the main channel was smaller than the volume of sediment deposited. Thus, for calculating the initial detachment efficiency in the main channels, the deposited sediment was the sum of the change in cross-sectional area times a unit length or (ii) photogrammetric analysis of aerial photographs. The sediment volume was equal to the net change in cross-sectional area times a unit length and metric tape or (ii) photogrammetric analysis of aerial photographs. The cross-section was surveyed 20 times in the granitic terrain (1996 through 2001) and 5 times in the volcanic terrain (2000 through 2003). Both cross sections had similar geometry and geomorphology. The width was about 45 m, which included a small step in the floodplain of ~1–2 m above the stream bed on the left bank, and both cross sections were near the middle of the study reach.

3.4.2. Hillslopes

Field based measurements of hillslope erosion and deposition were started 1 year after the fire in the granitic terrain and two weeks after the fire in the volcanic terrain (Fig. 3). Thus, the initial detachment efficiency was only calculated for the volcanic terrain, but remobilization the transport efficiencies were calculated for both terrains.

In the granitic terrain, water and sediment were collected in 1-m-wide hillslope traps from a bounded area. Details of these hillslope traps are described by Gerlach (1967) and Moody and Martin (2001a). The bounded area ranged from 5–10 m², was about 5 m long, and enclosed some existing rills on 30° slopes (Martin and Moody, 2001). Runoff and sediment were stored in three collecting containers (~45 L capacity) and the volumes of water and mass of sediment in the containers were measured from 1997 to 2001 (Fig. 3). Four hillslope traps on a north-facing hillslope collected water and sediment volumes during 9 rainstorms (water-collecting containers overflowed during four storms), and four hillslope traps on a south-facing hillslope collected water and sediment volumes during 13 rainstorms. The amount of runoff and eroded sediment for each hillslope was the mean of the four traps. This mean was used to calculate an efficiency for each hillslopes and for each rainstorm. The final efficiency was the average of all rainstorms.

In the volcanic terrain, water and sediment were collected in similar hillslope traps but with an unbounded area. The traps were on 25–30° slopes, on a southeast-facing hillslope, at a distance of 108–217 m down from the drainage divide, and had no existing rills above them (Cannon et al., 2001b). These traps stored water and sediment in three collecting container (~45 L capacity), which were measured from June through October 2000 (Cannon et al., 2001b). The final efficiency for each rainstorm was the mean value of 4 to 9 hillslope traps. We only used data for rainstorms >30 min, but the single storage containers could possibly overflow undetected, if the total rainfall was >15 mm and the maximum 30-min rainfall intensity was >15 mm h⁻¹. Therefore, any data that met these conditions were not used. The initial detachment efficiency was based on the first rainstorm
The channel bank sediment and hillslope colluvium detached during the first flood after the fire probably had some degree of cohesion. The cohesion developed during the period following deposition well before the fire burned in 2000. We assumed that the stream power to detach this cohesive material from channel banks or from hillslopes was much greater than the stream power required to transport it. Stream power can gradually detach particles from a cohesive channel bank or soil matrix or it can suddenly detach large volumes of sediment particles by such processes as head cut erosion (Bennett and Casalí, 2001; Cannon et al., 2003) and by bank failures (Simon et al., 1999; Darby et al., 2002). Later, after the flood waters have receded, excess pore pressure in the channel banks can cause sudden detachment of large volumes of sediment (Simon and Collison, 2001). Based on field observations after the first flood, the sediment deposited in the channel was non-cohesive. Thus, the stream power associated with later floods was assumed to primarily remobilize and transport this non-cohesive sediment.

### 3.5. Channels

The erodibility efficiency is the ratio of the available peak stream power per unit area of channel bed, \( \omega_c \) (J m\(^{-2}\) s\(^{-1}\)), to the fraction of that power (rate of work) used to detach or transport sediment. The available peak stream power per unit area of channel bed, \( \omega_c \), is given by

\[
\omega_c = \frac{\rho_w g Q_{\text{peak}} S}{B} \quad (3)
\]

where \( \rho_w \) is the density of water = 1000 kg m\(^{-3}\), \( S \) is the bed slope of the channel, and \( B \) (m) is the channel width. This is the same as the overall transport efficiency for bedload used by Bagnold (1973). The fraction of this power or work, \( W_c \) (J m\(^{-2}\) s\(^{-1}\)) that detaches sediment during the time interval, \( \Delta T \) (s), equals the submerged weight (mass \( \times \) g) removal rate per unit width of channel, \( w_s \) (J m\(^{-2}\) s\(^{-1}\)) multiplied by tan\( \alpha \). The angle \( \alpha \) is essentially the angle of internal friction of material being detached, is analogous to the sliding friction of a solid on a plane, and was shown by Bagnold (1973) to be \( \sim 32^\circ \) for most particle sizes. Thus:

\[
W_c = W_s \tan \alpha = \frac{(\rho_s - \rho_w) g \rho_b V_s}{B \rho_s \Delta T} \tan \alpha \quad (4)
\]

where \( \rho_s \) (kg m\(^{-3}\)) is the sediment particle density, \( \rho_b \) (kg m\(^{-3}\)) is the sediment bulk density, and \( V_s \) (m\(^3\)) is the volume of sediment transported and deposited after the initial flood. Sediment is detached only when water discharge, \( Q \) (m\(^3\) s\(^{-1}\)), is > \( Q_{\text{crit}} \), the critical discharge for sediment detachment. We have assumed that the critical discharge, \( Q_{\text{crit}} \), for detachment was negligible compared to the peak discharge, \( Q_{\text{peak}} \), during the initial flood.
detachment. This assumption is based on the fact that the critical shear stress \((1–3 \text{ N m}^{-2})\) required to detach unburned and burned cohesive forest soils on hillslopes (Moody et al., 2005) was much less than the estimated shear stress \((400–800 \text{ N m}^{-2})\) associated with the peak discharge of the first flood \((510 \text{ m}^3 \text{ s}^{-1})\) in the granitic terrain (water depth \(1–2 \text{ m}\)). Thus, the time interval, \(\Delta T\), can be considered equal to the duration of the flood, \(T\). The initial detachment efficiency for channels, \(e_c\), is

\[
e_c = \frac{W_c}{\omega_c} \times 100 \text{ for } Q_{\text{peak}} > Q_{\text{crit}}
\]

which is independent of the channel width, \(B\).

In the granitic terrain, the initial sediment was detached and trapped in an expanding reach near the mouth of Spring Creek. The reach was 1500 m long and the width was 10 m at the upstream end and widened to 45 m at the mouth (Moody, 2001). A small fraction of the sediment was deposited below the mouth and dammed the South Platte River. Part of this volume was eroded by the river in a few days. The eroded volume was measured by interpolating between the remaining sediment deposits on both sides of the South Platte River, and was included in the calculation of the initial detachment efficiency.

In the volcanic terrain, the initial sediment was detached from multiple headwater tributaries and deposited above the confluence of the two main channels (South and North Branch of upper Rendija Canyon; point marked “C” in Fig. 1). Separate efficiencies were calculated for the deposited volume in a 1300-m reach on the South Branch and in a 1100-m reach on the North Branch, and then averaged to determine the final initial detachment efficiency.

### 3.5.2. Hillslope detachment efficiency

The hillslope stream power, \(\omega_h\), was computed similar to Eq. (3), but the mean discharge was used instead of the peak discharge. There were no time series measurements of water depth at the entrance to the trap and so the peak discharge was unknown. The mean discharge per unit width of hillslope (with slope, \(S_h\)) was measured by dividing the collected water volume, \(V_w\), by the duration of the rainstorm, \(\Delta t\), and the width, \(b\), of the hillslope trap:

\[
\omega_h = \frac{\rho_s g V_w S_h}{b \Delta t}.
\]

The duration was not necessarily continuous and was the sum of time intervals when the rainfall intensity was greater than the threshold necessary to initiate overland flow. Unpublished field observations indicate that this threshold is similar to \(\rho_s g \Delta t \frac{\Delta t}{\Delta t} \text{thres} (\text{mm h}^{-1})\). The fraction of power or work, \(W_h\) (\text{J m}^{-2} \text{ s}^{-1}), used during the same time interval, \(\Delta t\), was

\[
W_h = \frac{(\rho_s - \rho_i)M g \tan \alpha}{b \Delta t}
\]

where \(M\) (\text{kg}) is the mass of sediment collected in the trap. The initial detachment efficiency for hillslopes was computed as:

\[
e_h = \frac{W_h}{\omega_h} \times 100.
\]

This efficiency is independent of the trap width. It is also independent of the duration of time when the rainfall is greater than the threshold because the hillslope colluvium is assumed to be transported during the same time, \(\Delta t\), as the overland flow.

### 3.6. Remobilization and transport efficiency

#### 3.6.1. Channel

The time series of remobilization and transport efficiencies at a channel cross section were calculated using a similar method as the initial detachment efficiency. Measurements at multiple cross sections (150 cross sections spaced 10 m apart) in 1997 in the granitic terrain had similar patterns of scour and fill and the number of cross sections was reduced in subsequent years. (Moody and Martin, 2001a,b; Moody, 2001). Similar patterns were measured and observed in the volcanic terrain. Therefore, we feel the efficiencies calculated at one cross section were representative of the main channel. The total mass was equal to the sum of the net cross-sectional area of erosion and the net cross-sectional area of deposition times the bulk density and the unit stream length. This total mass was assumed to be proportional to the total work done to remobilize and transport sediment per unit area of channel and the peak discharge, \(Q_{\text{peak}}\), was used in Eq. (3) instead of \(Q_{\text{peak}}\) for the reasons given in Section 3.1.

#### 3.6.2. Hillslope

Remobilization and transport efficiencies for hillslopes were calculated for each sample of water and sediment collected from the hillslope traps. Samples were not collected after each storm, but in most cases the data represent a dominant storm plus one to two smaller storms. Calculations differed from those for remobilization and transport in channels because the mass of sediment collected from the traps was measured directly and no conversion from volume to mass was required.
Hillslope measurements in the granitic terrain represent the mean remobilization and transport efficiency of sediment for 22 samples collected from north-facing \((n=9)\) and south-facing \((n=13)\) hillslopes over 2 years (Moody and Martin, 2001a). Hillslope measurements in the volcanic terrain represent the mean remobilization and transport efficiency of four storms during the summer of 2000 after the first storm on 9 July 2000.

4. Results

4.1. Rainstorms

The first storm in the granitic terrain occurred 2 months after the wildfire and had the most intense rainfall (maximum \(I_{30} \sim 90 \text{ mm h}^{-1}\)) of all the storms (Fig. 4). This intensity had about a 100-year rainfall...
recurrence interval (Miller et al., 1973). In contrast, the first storm in the volcanic terrain was 1 month after the wildfire but was one of the smallest storms (maximum $I_{30} \sim 17$ mm h$^{-1}$), with a rainfall recurrence interval of slightly less than 1-year (Reneau et al., 2003). The most intense storm (maximum $I_{30} \sim 62$ mm h$^{-1}$) in the volcanic terrain was 3 years after the fire, and this had about a 25- to 50-year recurrence interval (Reneau et al., 2003).

4.2. Erodibility efficiencies

The initial detachment efficiency for the main channel in the granitic terrain was 10% and in the volcanic terrain it was 5% (Fig. 5). Although the efficiency for the granitic terrain is larger the uncertainty of the values was greater in the granitic terrain than in the volcanic terrain (Table 3). This is in part due to averaging two estimates in the volcanic terrain and the smaller absolute magnitude of the efficiency. The efficiencies in the tributary channels were less than in the main channel in both terrains. Again, the initial detachment efficiency in the granitic terrain (5%) was not significantly greater than in the volcanic terrain (4%).

The average initial detachment efficiency on the volcanic hillslopes was 1.3% (Fig. 5) from the first rainstorm on 9 July 2000. The coefficient of variance of the efficiencies for the nine traps was relatively high (1.6), which was influenced by one trap with an efficiency of 4.2%.

4.3. Remobilization and transport efficiency

The average remobilization and transport efficiencies in the main channels of both terrains were about one order of magnitude less than initial detachment

<table>
<thead>
<tr>
<th>Channel initial detachment</th>
<th>$N$</th>
<th>$B$</th>
<th>$V_s/\Delta T$ (m$^3$ s$^{-1}$)</th>
<th>$(\rho_s-\rho_w)/\rho_s$</th>
<th>$\rho_b$ (kg m$^{-3}$)</th>
<th>$\Delta T$ (h)</th>
<th>$q_p$ (J m$^{-2}$ s$^{-1}$)</th>
<th>$Q_{peak}$ (m$^3$ s$^{-1}$)</th>
<th>$S$</th>
<th>$\omega_c$</th>
<th>$\epsilon$ (%)</th>
<th>$\Delta \epsilon$ (%)</th>
</tr>
</thead>
<tbody>
<tr>
<td>Granitic-Spring Creek</td>
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</tr>
<tr>
<td>Main channel</td>
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<td>3.0</td>
<td>0.62</td>
<td>1700</td>
<td>2</td>
<td>3909</td>
<td>510</td>
<td>0.04</td>
<td>24,990</td>
<td>10 ±9</td>
<td></td>
</tr>
<tr>
<td>Tributary</td>
<td>1</td>
<td>6</td>
<td>0.08</td>
<td>0.62</td>
<td>1700</td>
<td>1</td>
<td>129</td>
<td>4.5</td>
<td>0.22</td>
<td>1617</td>
<td>5 ±4</td>
<td></td>
</tr>
<tr>
<td>Volcanic-Rendija Canyon</td>
<td></td>
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</tr>
<tr>
<td>North branch</td>
<td>1</td>
<td>4</td>
<td>0.86</td>
<td>0.41</td>
<td>1000</td>
<td>1</td>
<td>859</td>
<td>26</td>
<td>0.10</td>
<td>6370</td>
<td>8 ±6</td>
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<tr>
<td>South branch</td>
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<td>4</td>
<td>0.11</td>
<td>0.41</td>
<td>1000</td>
<td>1</td>
<td>112</td>
<td>30</td>
<td>0.10</td>
<td>7350</td>
<td>1 ±4</td>
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</tr>
<tr>
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<td>2</td>
<td>0.056</td>
<td>0.41</td>
<td>1000</td>
<td>1</td>
<td>112</td>
<td>6.6</td>
<td>0.24</td>
<td>7762</td>
<td>1 ±1</td>
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<tr>
<th>Channel remobilization and transport</th>
<th>$N$</th>
<th>$b$</th>
<th>$M/b$</th>
<th>$(\rho_s-\rho_w)/\rho_s$</th>
<th>$\rho_b$ (kg m$^{-3}$)</th>
<th>$\Delta T$ (h)</th>
<th>$V_w/\Delta t$ (m$^3$ s$^{-1}$)</th>
<th>$S_b$</th>
<th>$\omega_c$</th>
<th>$\epsilon$ (%)</th>
<th>$\Delta \epsilon$ (%)</th>
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<tbody>
<tr>
<td>Granitic-Spring Creek</td>
<td></td>
<td></td>
<td></td>
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<td></td>
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<td></td>
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<tr>
<td>Flash floods</td>
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<td>45</td>
<td>0.004167</td>
<td>0.62</td>
<td>1700</td>
<td>1.2</td>
<td>0.96</td>
<td>120</td>
<td>0.04</td>
<td>1045</td>
<td>0.18 ±0.57</td>
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<td>Steady flow</td>
<td>10</td>
<td>45</td>
<td>4.31E−07</td>
<td>0.62</td>
<td>1700</td>
<td>3326</td>
<td>0.00001</td>
<td>0.10</td>
<td>0.04</td>
<td>0.87</td>
<td>0.007 ±0.001</td>
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<tr>
<td>Volcanic-Rendija Canyon</td>
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<tr>
<td>Flash floods</td>
<td>5</td>
<td>18</td>
<td>0.00094</td>
<td>0.41</td>
<td>1000</td>
<td>1</td>
<td>0.36</td>
<td>5.66</td>
<td>0.10</td>
<td>308</td>
<td>0.11 ±0.41</td>
</tr>
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<table>
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<tr>
<th>Hillslope initial detachment</th>
<th>$N$</th>
<th>$b$</th>
<th>$M/b$</th>
<th>$(\rho_s-\rho_w)/\rho_s$</th>
<th>$\rho_b$ (kg m$^{-3}$)</th>
<th>$\Delta T$ (h)</th>
<th>$V_w/\Delta t$ (m$^3$ s$^{-1}$)</th>
<th>$S_b$</th>
<th>$\omega_c$</th>
<th>$\epsilon$ (%)</th>
<th>$\Delta \epsilon$ (%)</th>
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<th>$\rho_b$ (kg m$^{-3}$)</th>
<th>$\Delta T$ (h)</th>
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$N$, number of samples; $B$, channel width; $b$, plot width; $V_s$, volume of transported and deposited sediment; $\rho_s$, particle sediment density; $\rho_w$, water density = 1000 kg m$^{-3}$; $\rho_b$, bulk density of deposited sediment; $\Delta T$, duration of flood; $Q_{peak}$, peak water discharge; $S$, slope of the channel or hillslope; $\omega_c$, stream power per unit area; $\epsilon$, erodibility efficiency for channel, tributary or hillslope; tan $\alpha$ is set equal to 0.63; $\Delta \epsilon$, estimate of the uncertainty of the erodibility efficiency; values shown in italics are the average of $N$ measurements.
efficiency. The efficiencies were calculated for flash floods (10 in the granitic terrain and 5 in the volcanic terrain) and for the time periods of base flow between flash floods (Table 3, Fig. 6). The efficiency associated with flash floods in the granitic terrain (0.18%) was only slightly greater than the efficiency in the volcanic terrain (0.11%). Between flash floods, the granitic channel had some base flows with an efficiency of 0.007%. No water flowed in the volcanic channel between flash floods and thus no efficiencies were calculated.

The average remobilization and transport efficiency was substantially less on the granitic hillslopes (0.65%) than on the volcanic hillslope (2.4%). For the granitic terrain, the efficiency was the average of the efficiencies associated with 22 rainstorms on the north-(0.78%) and on the south-(0.55%) facing hillslopes. This relatively large sample number may be partly responsible to the lower absolute uncertainty of ±0.11%. The efficiency in the volcanic terrain was based on a sample of 4 rainstorms and had a larger uncertainty (±0.74%). The relatively high uncertainty was partially caused by the relatively high efficiency (8%) associated with a single storm on 9 August 2000.

5. Discussion

5.1. The effects of rainstorm sequence

The sequence of rainstorms and subsequent floods has been shown to affect the geomorphic impact of wildfire (Germanoski et al., 2002). This was also true for these two geologic terrains. The most intense storm over the granitic terrain was the first storm. If it had been much later, following vegetation regrowth and the removal of some of the available sediment by relatively smaller storms, then the erosion response probably would have been much less. In contrast, the most intense storm in the volcanic terrain occurred 3 years after the wildfire. During the 3 years substantial regrowth of vegetation throughout the burned watershed was observed using color aerial photographs taken in 2000, 2001, and in 2002 and in the areas visited on the ground to service equipment. This regrowth attenuated the runoff response (Moody et al., in press) and the associated erosion response. Had this most intense storm been the first storm after the wildfire then the relative magnitude of the erosion response associated with this storm would have probably been greater than the magnitude after 3 years.

5.2. Initial detachment efficiency

The initial detachment efficiencies in the main channels are probably minimal estimates because (i) the peak discharge, $Q_{\text{peak}}$, in Eq. (5) minimizes the efficiency relative to the time-averaged discharge (which is $\bar{Q}$ but was not measured) and (ii) the duration, $\Delta T$, is probably a maximum estimate of the time for detachment. The detachment efficiencies for the main channels were based on measurements of deposition, which includes additional energy for transport, while those in the tributary were based solely on measurements of erosion or detachment. Thus, the detachment efficiencies for the main channels may be greater than those reported in Table 3.

It is interesting to compare the actual volumes used to calculate the initial detachment efficiencies in the tributaries because eroded volumes are occasionally published in the literature. In the granitic tributary, the average measured erosion was 1.2 m$^3$ m$^{-1}$, and in the
volcanic tributary it was 0.4 m$^3$ m$^{-1}$. These measurements are similar to other post-fire measurements in other terrains. For example, 0.3–9 m$^3$ m$^{-1}$ was measured in various terrains in California, Colorado, and Utah (Sánti et al., in press); 0.45 m$^3$ m$^{-1}$ was measured in sandstone terrain in Arizona (Rich, 1962); 0.44 m$^3$ m$^{-1}$ in granitic terrain in Arizona (Laird and Harvey, 1986); and 2.0 m$^3$ m$^{-1}$ in marine sandstones and shales terrain of southern California (Florsheim et al., 1991). This relatively narrow range of volumes per meter of channel also indicates, like the efficiencies in this paper, little difference across geologic terrains.

The relatively high initial detachment efficiencies (>1%) in the main channel may be dominated by short timescale erosion processes. Efficiencies for many perennial streams are usually substantially <1% (Reid and Laronne, 1995; Almedeij and Diplas, 2005). Short timescale erosion processes like head cutting (Bennett and Casali, 2001) or bank failure (Simon et al., 1999; Darby et al., 2002) involve undercutting and sudden collapse of channel bed or banks. In general, we have observed many bank failures and headcuts in the main channel and tributary channels of both terrains, which created step-pool topography. In some cases this topography in the main channel was either eroded or covered by sediment during some floods and uncovered by later floods. However, it was persistent in low order tributary channels. We assume that bank failure and head cut erosion are more efficient and thus they will, when present, substantially increase the initial detachment erodibility efficiency.

5.3. Remobilization and transport efficiency

5.3.1. Channels

The remobilization and transport of sediment in the main channel and in tributary channels after the wildfires was episodic. Flow in channels in both terrains was observed to be ephemeral with shorter periods (∼day to week) of no surface flow in the granitic terrain than in the volcanic terrain (∼weeks). Two sediment transport processes were common in the granitic terrain. Sediment transport by flash floods was typically unsteady flow, with times scales of a few hours. Transport by base flow (∼mean annual discharge=0.01 m$^3$ s$^{-1}$; Table 1) was typically steady flow over time scales of days to months and was of sufficient discharge to appear as surface flow in most of the channel (Moody, 2001). Remobilization and transport efficiencies for individual flash floods were relatively high and ranged from 0.021–0.52%. These efficiencies are not unusual as flash floods in other ephemeral channels fall within a relatively narrow range between about 7–30% (Reid and Laronne, 1995; Almedeij and Diplas, 2005). In contrast, the efficiency of sediment transport by steady base flow is about 0.04 times the flash flood efficiency and is typical for perennial streams with steady flow (0.00001–2%). A long-term time average of the remobilization and transport efficiencies for both transport processes for the period of the study would give a much lower efficiency (∼0.02%, Fig. 6) than the average remobilization and transport efficiency for individual flash floods (0.18%). In the volcanic terrain the base flow (∼0.001 m$^3$ s$^{-1}$; Table 1) was usually of insufficient magnitude to fill the alluvial bed, was subsurface flow, and could not transport sediment (Fig. 6). However, remobilization and transport efficiencies for individual flash floods (0.046–0.20%) were similar to those in the granitic terrain, but a similar long-term time average for the period of the study would be about an order of magnitude less (∼0.002%) than the granitic terrain. Thus, it might appear that the long-term erosion response is an order of magnitude greater in the granitic terrain than in the volcanic terrain, but the difference is really a function of the mean annual discharge and not the geology. However, comparing efficiencies associated with the sediment transport process (flash floods) shared by both terrains indicates that there is no difference in remobilization and transport efficiency.

5.3.2. Hillslope

Sediment fluxes and efficiencies measured from bounded and unbounded plots are difficult to compare and the problem is exacerbated by different rainfall intensities in each terrain. Moreover, several hillslope transport processes can deliver sediment to the hillslope traps such as rainsplash, overland flow, rill, and rainflow transport (Moss and Green, 1983; Abrahams et al., 1998; Gabet and Dunne, 2003). The bounded plots in the granitic terrain appear limited to sediment mobilized by rainsplash, overland flow, rill, and rainflow transport (Moss and Green, 1983; Abrahams et al., 1998; Gabet and Dunne, 2003). The bounded plots in the granitic terrain appear limited to sediment mobilized by rainsplash, overland flow, rill, and rainflow transport. Sediment transport by steady base flow is about 0.04 times the flash flood efficiency and is typical for perennial streams with steady flow (0.00001–2%). A long-term time average of the remobilization and transport efficiencies for both transport processes for the period of the study would give a much lower efficiency (∼0.02%, Fig. 6) than the average remobilization and transport efficiency for individual flash floods (0.18%). In the volcanic terrain the base flow (∼0.001 m$^3$ s$^{-1}$; Table 1) was usually of insufficient magnitude to fill the alluvial bed, was subsurface flow, and could not transport sediment (Fig. 6). However, remobilization and transport efficiencies for individual flash floods (0.046–0.20%) were similar to those in the granitic terrain, but a similar long-term time average for the period of the study would be about an order of magnitude less (∼0.002%) than the granitic terrain. Thus, it might appear that the long-term erosion response is an order of magnitude greater in the granitic terrain than in the volcanic terrain, but the difference is really a function of the mean annual discharge and not the geology. However, comparing efficiencies associated with the sediment transport process (flash floods) shared by both terrains indicates that there is no difference in remobilization and transport efficiency.
rainstorm is different and produces a different proportion of the transport processes. Thus, we assumed the efficiencies from bounded and unbounded plots were comparable, when averaged over several rainstorms, because all transport processes were represented.

The previous discussion assumed equal sediment availability for the different geologic terrains. There may have been an important difference in the sediment availability because of the different start times for the hillslope measurements in the two terrains. In the granitic terrain, measurements were started after the first and largest rainstorm ($I_{30} \sim 90$ mm h$^{-1}$). This rainstorm created rills and easily removed a substantial portion of the fine component of the colluvium (10% silt and clay, 33% sand, and 57% gravel) stored on the hillslope leaving the gravel component to armor the hillslope. Widespread erosion of the available colluvium from the burned hillslopes was confirmed by aerial photographs and ground observations that indicated that a ~5 mm-layer of ash and soil had been removed (Moody and Martin, 2001b). In contrast, measurements in the volcanic terrain were started before the largest rainstorm, the hillslope had no rills, and the hillslope was not armored. Most rainstorms in the volcanic terrain had relatively low rainfall intensity compared to the first storm in the granitic terrain (Fig. 4), and by themselves were unable to erode all of the available colluvium stored on the hillslope even though the colluvium (24% silt and clay, 60% sand, and 16% gravel) was finer than that in the granitic terrain. In the granitic terrain, the decrease in sediment availability was sudden leaving coarser colluvium that was more difficult to erode, while in the volcanic terrain the decrease was probably a slow, storm by storm decrease during the first summer after the wildfire. Thus, the average values of the remobilization and transport efficiencies partly reflect these differences in soil texture and temporal differences in sediment availability and may explain why the remobilization and transport efficiencies were greater in the volcanic terrain than in the granitic terrain.

We suspect that the initial detachment efficiency for the hillslope in the volcanic terrain was an underestimate because the first rainstorm (9 July 2000) had a lower rainfall intensity ($I_{50} = 7.2$ mm h$^{-1}$) than the next two storms on 16 and 18 July 2000 ($I_{50} = 29$ mm h$^{-1}$ for both). Unfortunately, the traps were overwhelmed with sediment and water overflowed the collecting containers during these two rainstorms. As a result, we were unable to calculate reliable initial detachment efficiencies for the storms. All efficiencies were >10% for most traps possibly because of undetected overflow from the collecting containers. Again, this illustrates that had the sequence of rainstorms following the wildfires been different, then these average efficiencies might have been quite different.

5.4. Erodibility efficiencies in modeling

Erosion models must incorporate the dependence of the erodibility efficiencies on sediment availability. A simple empirical erosion model to predict transport rates from hillslopes was developed by Wilson (1999) based on runoff. The transport rate, $W_h$, from controlled rainfall simulation experiments with different intensities (36–162 mm h$^{-1}$) was related to the runoff or stream power. The best fit was a power law that can be written in a general form as

$$W_h = a(\omega_h - \omega_{hc})^p$$

(9)

where the critical stream power, $\omega_{hc} = 0$ J m$^{-2}$ s$^{-1}$, the coefficient $a = 0.18$, and the exponent $p = 1.9$ (Fig. 7). Our results for the granitic and volcanic terrains fit a linear relation ($p = 1; R^2 = 0.83$ and 0.64, respectively) better than a power law relation ($R^2 = 0.70$ and 0.25, respectively). However, these linear relations, with $\omega_{hc} = 0$ J m$^{-2}$ s$^{-1}$ are biased and predict the large magnitude better than small magnitude sediment transport. The linear relation with $\omega_{hc} \neq 0$ for the granitic terrain ($\omega_{hc} = -0.011$ J m$^{-2}$ s$^{-1}$; $R^2 = 0.88$; $p$ value < 0.001) is slightly better than the relation using $\omega_{hc} = 0$ and the negative value for the critical stream power may reflect the uncertainty or a small transport rate when the rainfall or stream power is zero (see dry ravel discussion below). The same is true for the volcanic terrain.

![Fig. 7. Correlation of hillslope remobilization and sediment transport efficiencies with hillslope stream power. The short-dashed line is the relation determined by Wilson (1999) for artificial rain on burned plots in Tasmania. The solid lines are when the critical stream power is zero and the long-dashed lines when the critical stream power is not assumed to be zero.](image-url)
where critical stream power \( \omega_{hc} = 0.00074 = 0 \text{ J m}^{-2} \text{s}^{-1} \) \( R^2 = 0.64, p \text{ value} = 0.10 \). The values of the constant \( a \) (0.38\% for granitic and 1.2\% for volcanic terrain) are the least squares estimates of the remobilization and transport efficiencies and are about half the arithmetic averages of 0.65 and 2.4 (Table 3, Fig. 5), but have the about the same relative magnitudes. Fitting a linear relation \((p = 1)\) to the data published by Wilson (1999) gives a value of the critical stream power \( \omega_{hc} = 0.043 \text{ J m}^{-2} \text{s}^{-1} \), which is realistic for hillslopes (Elliot et al., 1989), and a remobilization and transport efficiency of 11\%, which is larger than the remobilization and transport efficiencies for the granitic and volcanic terrains. This greater efficiency also may reflect the difference in sediment availability because Wilson (1999) noted that the fire destroyed a biotic surface crust protecting a loamy sand colluvium. This colluvium was probably more easily eroded than the granitic and volcanic soils in this paper.

Some of the variability of hillslope efficiencies may be a result of additional sediment transport processes like dry ravel. Dry ravel transport is an important process in some areas like southern California during the dry season (Krammes and Osborn, 1969). It has been measured in burned areas in granitic terrain in Colorado during dry periods between convective rainstorms in the summer and accounts for about 60\% of the overland transport of sediment into hillslope traps (unpublished data). The negative value of \( \omega_{hc} \) for the granitic terrain could represent the contribution by dry ravel to the sediment transport rate when the rainfall and thus the stream power, \( \omega_{hc} \), was zero. Thus, in addition to erodibility efficiencies, models may need to incorporate other transport processes, sediment availability, and rainfall characteristics in order to accurately predict post-fire erosion.

6. Summary and conclusions

This study compared the erosional response after a wildfire in granitic and volcanic terrain. The erosion response was measured as the erodibility efficiency, which is the percentage of the total available stream power expended to detach, remobilize, or transport a mass of sediment. The efficiency permits the comparison of the erosion and deposition from a flood in one terrain that differs in magnitude from a flood in the second terrain. Erodibility efficiencies were estimated for the initial detachment efficiency of colluvium on the hillslope or sediment in the channels during the first rainstorm and flood after the fire and for the remobilization and transport efficiency of successive rainstorms and floods.

Contrary to expectations, the erosion response did not vary significantly between the two geologic terrains. The initial detachment efficiencies for the main channel and a tributary channel in the granitic terrain were 10 ± 9\% and 5 ± 4\% and in the volcanic terrain they were 5 ± 5\% and 1 ± 1\%. These initial detachment efficiencies are not unusually high for ephemeral channels and they may indicate that short timescale erosion processes, such as headcutting and bank failures, are more efficient than detachment by shear stress on the channel banks and bed—a processes typical of perennial streams (efficiencies ~0.0001 to 1\%). No initial detachment efficiency could be measured for the hillslopes in the granitic terrain because hillslope measurements were started after the first major rainstorm. The initial detachment efficiency in the volcanic terrain was 1.3 ± 0.41\%.

The mass of eroded, transported, and deposited sediment depended on the sequence of rainstorms and floods. Remobilized and transported of sediment was primarily by episodic flash floods in both terrains with intervening periods of remobilization and transport by base flow in the granitic terrain. The average remobilization and transport efficiencies associated with flash floods in the channels also were similar in the granitic terrain (0.18 ± 0.57\%) and in the volcanic terrain (0.11 ± 0.41\%). The remobilization and transport efficiency on hillslopes was greater in the volcanic terrain (2.4\%) than in the granitic terrain (0.65\%). The lower efficiency in the granitic terrain probably reflects the reduced sediment availability as a result of the removal of fine colluvium by a large rainstorm \((I_{30} = 90 \text{ mm h}^{-1})\) about 2 months after the wildfire, and the subsequent arming of the hillslope surface before erosion measurements began. The remobilization and transport efficiency in the volcanic terrain was probably increased because available colluvium remained on the hillslope after the runoff from the first storm \((I_{30} = 7.2 \text{ mm h}^{-1})\). The hillslope sediment transport rates in volcanic and granitic terrains can be predicted by linear functions of hillslope stream power and the critical stream power.

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References


